#### **Before the break:**

When using Internet technologies, we are confronted with two fundamental questions:

- How to hide what is communicated?
- How to hide *who* communicates?

... in the face of an opponent that has *total knowledge* of all the IP traffic involved.

# 



What has just happened?

• The receiver applied a decryption algorithm...

"On receiving a message, perform the following two steps: ① Replace each character by its alphabetical successor: an 'A' becomes a 'B', a 'B' a 'C', etc. ② Reverse the order: put the last character first, followed by the one-before-last, etc."

• ...to decrypt a ciphertext:

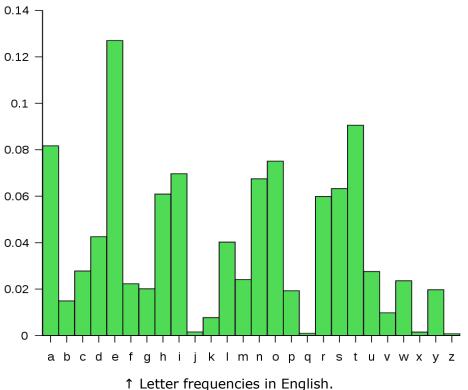
This was an example of a substitution-permutation cipher:

Substitution: replace the instances of one symbol by those of another.

*Permutation:* change the order in which symbol instances are placed.

• The example encryption method uses permutation & substitution to produce an overall ciphertext that is different from the original, plaintext message.

- What remains constant however, is that *symbols of the same type* still end up in the ciphertext as *symbols of the same type*.
- This means our ciphertexts will be vulnerable to letter frequency analysis →



Original by Nandhp at Wikimedia Commons.

• To make this attack harder to do, you can group symbol instances together into blocks: a block cipher.

...However, we will now first *automate* encryption:

• Writing code in JavaScript: the "+*x* substitution cipher".



• From the example code, we could further automate the crack () function by adding a dictionary lookup test...

• Everyday intuition:

"Cracking an encrypted message should be hard."

• Now, as code:

*⇒ So, more precisely:* 

The cracking algorithm should consist of many more computational steps than the encryption and decryption algorithms.

• In the example, our repeated decryption attempts were done using the following code:

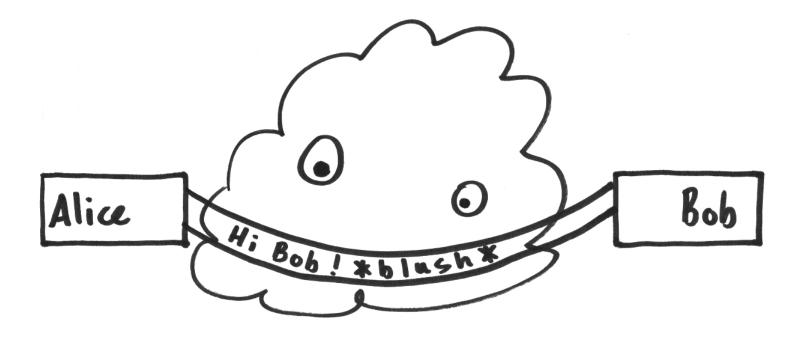
possible\_plaintext = encrypt (ciphertext, -1 \* key);

• This is an example of symmetric-key encryption:

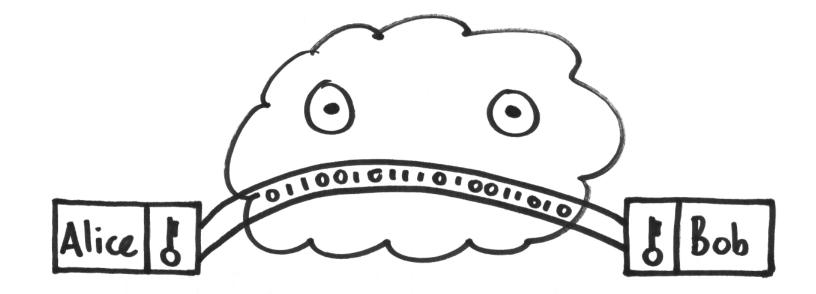
The same key that is used to encrypt the plaintext is also used to decrypt the resulting ciphertext.

• Asymmetric-key encryption is also used, e.g. in public key cryptography:

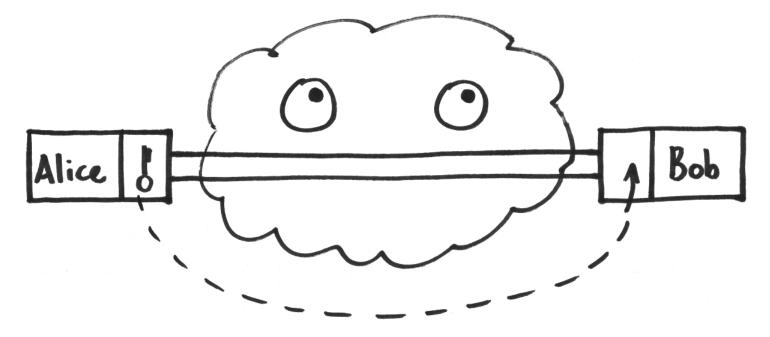
Here, *anybody can encrypt* using a publicly accessible key; but *only the receiver can decrypt* using a second, private key.



Can be used...

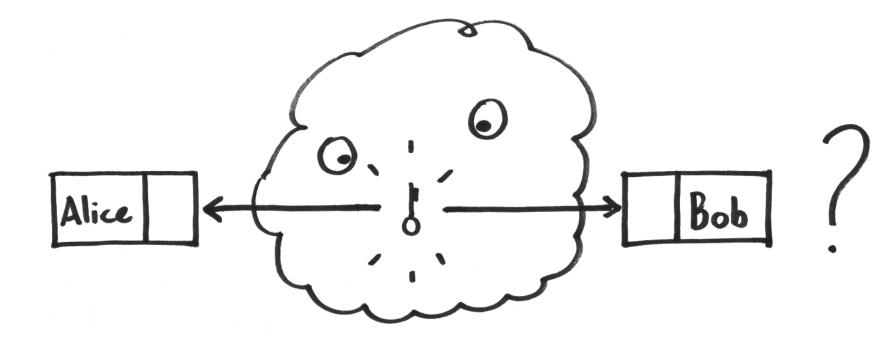


...to hide *what* is communicated over the Internet.



• All we need is a covert, secure channel, to exchange the key.

↑ ...Wait a minute!



• Remember: our opponent has total knowledge of all IP traffic.

⇒ Chicken-and-egg problem: We need a shared key to communicate securely – but we first need to communicate securely, to obtain a shared key. → ...What to do?

## Tools to make a secret key with everyone looking

- What to do? We need to grasp three concepts:
  - "An encryption key is a number."
  - One-way functions.
  - Quasi-commutative functions.

#### Tools to make a secret key with everyone looking

 A numerical function f () may combine two input numbers a and b to form one new output number o:

o = f (a, b); // think of JavaScript here

• A commutative function gives the same output when a and b are swapped.

- E.g. doing an addition, (a + b) == (b + a) is always true.
- The general case: "f (a, b) == f (b, a) is always true."
- A quasi-commutative function gives the same output in the following argument swap:
  - f (f (a, b), c) == f ( f (a, c), b)
  - E.g. doing two additions: (a + b) + c == (a + c) + b.
  - So: it does not matter if you first combine a with b, then c; or first with c, then b.

## Tools to make a secret key with everyone looking

 A numerical function f () may combine two input numbers a and b to form one new output number o:

o = f (a, b); // think of JavaScript here

- For a one-way function:
  - When you know a, b, and f (), computing o takes only a few steps.
  - But even when you know o, a, and f (), computing b takes very many steps.
  - So: computation is quick only in one direction.
    ⇒ f ( ) is "hard to crack" based on its output.

# **Diffie-Hellman key exchange**

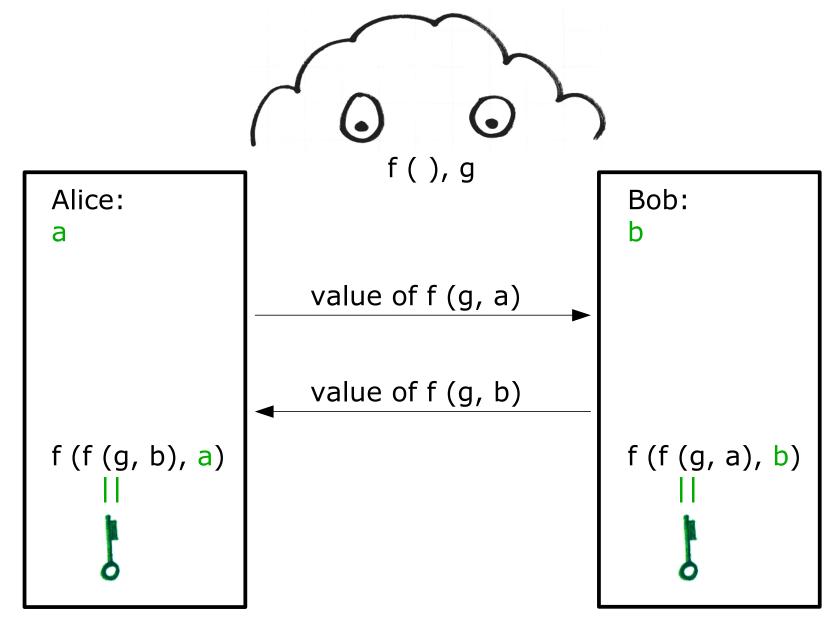
- Everyone knows the function f ( ) and the constant number g.
- Alice and Bob each secretly pick a random number: a and b.
- Alice privately computes f (g, a), then sends the resulting value to Bob.
- Bob privately computes f (g, b), then sends the resulting value to Alice.
- Everybody can see and record these values!
- But since f ( ) is a one-way function, a and b still remain secret.

## **Diffie-Hellman key exchange**

- Bob then uses the value of f (g, a) to compute f (f (g, a), b).
  The output is known just to Bob, because only he knows b.
- Alice uses the value of f (g, b) and computes f (f (g, b), a).
  The output is known just to Alice: only she knows a.
- But wait Bob and Alice actually computed the same value!
- As f ( ) is quasi-commutative: f(f(g, a), b) == f(f(g, b), a).
- Bob and Alice now both know this number no one else knows.

 $\Rightarrow$  They can use it as a symmetric key.

#### **Diffie-Hellman key exchange, recapitulated**



# **TLS: Transport Layer Security**

• Application layer protocol which extends transport layer protocols with encryption.

- Diffie-Hellman here is an optional key exchange mechanism.
- TLS has been implemented on top of TCP (but also UDP).
- HTTP Secure (HTTPS): HTTP via TLS (instead of TCP).